

$$\zeta(s) = 1 + 1/2^s + 1/3^s + 1/4^s + \dots = \sum_{n=1}^{\infty} \frac{1}{n^s} \quad \int \frac{dx}{\sqrt{AB-x^2}} = \arcsin \frac{x}{\sqrt{AB}} \quad \int \frac{dx}{\sqrt{AB-x^2}} = \arcsin \frac{x}{\sqrt{AB}} \quad \int \frac{dx}{\sqrt{AB-x^2}} = \arcsin \frac{x}{\sqrt{AB}} \quad \int \frac{dx}{\sqrt{AB-x^2}} = \arcsin \frac{x}{\sqrt{AB}}$$



## *CERTIFICATE OF PARTICIPATION*

*This is to certify that*

*Saad Abdelkebir*

*has participated as "Oral Presenter" and presented the following paper entitled*

*"Analytical Conformable Solution for Time-Fractional Generalized Tricomi Equation by the Method of Separation Variables"*

*during the*

*The First Online Conference on Modern Fractional Calculus and Its Applications*

*Biruni University, Istanbul, Turkey, December 4-6, 2020*

*Prof. Dr. Mustafa Bayram  
Conference Chair*

*Prof. Dr. Dumitru Baleanu  
International Program Committee Chair*

$$\int \frac{dx}{\sqrt{AB-x^2}} = \arcsin \frac{x}{\sqrt{AB}} \quad \int \frac{dx}{\sqrt{AB-x^2}} = \arcsin \frac{x}{\sqrt{AB}} \quad \int \frac{dx}{\sqrt{AB-x^2}} = \arcsin \frac{x}{\sqrt{AB}} \quad \int \frac{dx}{\sqrt{AB-x^2}} = \arcsin \frac{x}{\sqrt{AB}}$$