

$$\zeta(a) = 1 + 1/2^a + 1/3^a + 1/4^a + \dots = \sum_{n=1}^{\infty} \frac{1}{n^a} \quad \bigcirc \quad AB \cdot \sqrt{AB_1^2 + AB_2^2} \quad \text{---} \int \frac{dx}{1-x^2} \quad \langle \rangle \quad x = \sqrt{a} \quad \Pi \quad \sum AB \cdot \sqrt{AB_1^2 + AB_2^2} \quad \text{---} \int \frac{dx}{1-x^2} \quad \langle \rangle \quad x = \sqrt{a} \quad \Pi \quad \sum AB \cdot \sqrt{AB_1^2 + AB_2^2} \quad \text{---} \int \frac{dx}{1-x^2} \quad \langle \rangle \quad x = \sqrt{a} \quad \Pi \quad \sum AB \cdot \sqrt{AB_1^2 + AB_2^2} \quad \text{---} \int \frac{dx}{1-x^2} \quad \langle \rangle \quad x = \sqrt{a} \quad \Pi$$

RegID: 9836

CERTIFICATE OF PARTICIPATION

This is to certify that

Brahim Ladghem Chikouche

has participated as "Face to Face Poster Presenter" and presented the following paper entitled:

Semi-numerical Magnetic Field Calculation for Synchronous Machines by Using Hybrid Model

during the

***International Conference on Nonlinear Science and Complexity
(ICNSC, 2023)***

held on July 10-15, 2023

Birun University
Istanbul-Turkey



Prof. Dr. Mustafa Bayram
Chairman

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